

Abstract Submitted  
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**Multi-Speed Thought Experiment** FLORENTIN SMARANDACHE,  
University of New Mexico — We consider  $n \geq 2$  identical rockets:  $R_1, R_2, \dots, R_n$ . Each of them moving at constant different velocities respectively  $v_1, v_2, \dots, v_n$  on parallel directions in the same sense. In each rocket there is a light clock, the observer on earth also has a light clock. All  $n+1$  light clocks are identical and synchronized. The proper time  $\Delta t'$  in each rocket is the same. Suppose that the  $n$  speeds of the rockets verify respectively the inequalities:  $0 < v_1 < v_2 < \dots < v_{n-1} < v_n < c$ . The observer on rocket  $R_1$  measures the non-proper time interval of the event in  $R_j$  as:  $\Delta t_{1,j} = \Delta t' \bullet D(v_j - v_1)$ , therefore the time dilation factor is  $D(v_j - v_1)$ , where  $j \in \{2, 3, \dots, n\}$ . Thus the time dilation factor is respectively:  $D(v_2 - v_1), D(v_3 - v_1), \dots, D(v_n - v_1)$ , which is again a multiple contradiction. Because all  $n$  rockets travel in the same time, we have a dilemma: which one of the above  $n-1$  time dilation factors to consider for calculating the non-proper time as measured by the observer in rocket  $R_1$ ? Similar dilemma if instead of the observer in rocket  $R_1$  we take the observer in rocket  $R_k$ , for  $2 \leq k \leq n-2$ . Also a same multiple dilemma occurs if we take into consideration each rocket's length, which gets contracted in multiple different ways simultaneously!

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