



## Neutrosophic Cybersecurity Intelligence for Self-Healing Cellular Networks

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### Abstract

Self-healing cellular networks must detect faults and attacks, decide under uncertainty, and act without human supervision. We introduce a compact neutrosophic decision layer that represents each time window by a triple (T, I, F): evidence of harm (T), uncertainty in the data (I), and evidence for a benign explanation (F). A simple policy,  $S = \alpha T + \beta I - \gamma F$ , compares the combined score to a fixed threshold to trigger actions. We define the features, normalization to [0, 1], constants, and time windows so every step is reproducible and auditable. The method is demonstrated in four scenarios: (S1) RF degradation/jamming-like interference, (S2) mobility and handover faults, (S3) RAN-level security anomalies, and (S4) multimodal O-RAN intrusions that combine traffic and radio signals. For each case, we compute (T, I, F) and S from realistic measurements and show the resulting actions (e.g., retuning or guided handover, neighbor-list repair, rate-shaping, scheduler re-weighting, short isolation).

Across scenarios, the model stays interpretable and cautious: high T drives decisive steps, high I slows them when data are shaky, and high F prevents false alarms during known benign events. This provides a practical, transparent path to cybersecurity-aware self-healing in modern cellular networks.

**Keywords:** neutrosophic, self-healing, cellular networks, 5G/6G, RAN, mobility, jamming, signaling storm, backhaul, slicing, uncertainty modeling.

### 1. Introduction

Modern cellular (4G/5G/6G) deployments operate in noisy environments: radio fading, fast mobility, and adversarial behavior produce incomplete and even contradictory evidence[1][2][3]. Binary logic or single-score heuristics often hide uncertainty[4].

Self-healing networks (SON), standardized in 3GPP [5]and used in production, automatically enhance coverage, capacity, and security. Most SON systems depend on heuristic thresholds, expert-tuned rules, or machine learning that uses labeled data. these methods have significant gaps : heuristics hide uncertainty and need calibration for each deployment, rules can't generalize across different network situations, machine learning requires large training datasets, lacks interpretability, and does not handle new threats to network [6][7]. Recent intrusion detection systems and anomaly detectors for cellular networks treat uncertainty as noise instead of molding it as an important issue [2].

We instead model each operational proposition  $E$  (e.g., “cell *cis* under RF interference”) by a neutrosophic triple

$$NP(E) = (T, I, F), T, I, F \in [0,1],$$

Where  $T$  summarizes evidence for  $E$ ,  $F$  summarizes evidence against  $E$ , and  $I$  records indeterminacy (ambiguity, missing data, disagreement among sources)[8].

We provide a specified mathematical layer and apply it to four realistic self-healing scenarios: (S1) RF degradation that needs spectrum retuning, (S2) mobility handover faults that require neighbor-list repair, (S3) RAN-level intrusions that need isolation, and (S4) Open RAN multimodal attacks combining network and radio evidence. We use public datasets (AERPAAW, UCC MISL, OpenIreland, Netslab 5G O-RAN) with 1,353 measurement windows. The neutrosophic framework achieves 0% false alarms. This result exceeds what binary thresholds, fuzzy logic, and machine learning baselines can achieve. Decisions are auditable, conservative under uncertainty, and composable across time and sources.

The paper structured as follows: Section 2 present prior studies of neutrosophic logic, its role in dealing with uncertainty, and other methods like fuzzy logic, machine learning, and rule-based systems in cellular network security, and identifies gaps in current RAN security approaches. Section 3 presents the mathematical framework, parameters, and formulas for all four scenarios. Section 4 shows results from public datasets, and shows neutrosophic advances. Section 5 discusses the practical implications and limitations. Section 6 conclusion and outlines future work.

## 2. Related works

This section reviews key research areas: neutrosophic logic and alternative uncertainty modeling approaches (fuzzy logic, machine learning, and rule-based systems) for RAN security and anomaly detection, Self-Healing Networks (SON) and their limitations.

### 2.1 Neutrosophic Logic Foundations

Neutrosophic logic was introduced by F. Smarandache [8] as a generalization of classical Boolean logic and fuzzy logic [4], designed to handle the null indeterminacy case. Unlike classical logic where every proposition is considered either true or false and fuzzy logic which permits partial membership in  $[0,1]$ , neutrosophic logic use triples  $(T, I, F)$  to represent propositions. Each component ranges in  $[0,1]$  independently. This mathematical framework allows for reasoning with incomplete, conflicting, or imprecise information that present in distributed sensor networks [9].

Recent neutrosophic logic application focused on engineering, military, cybernetics, physics and medical diagnosis [10], this method naturally addresses the state of the unknown disease. In [11] Jun Ye introduced multicriteria decision-making method with neutrosophic aggregation operators to setup mathematical frameworks and simplify computational aspects of neutrosophic logic for complex decision systems. However, the adaption of neutrosophic logic in cybersecurity and RAN automation has been limited, the study by [6] proposed ensemble intrusion detection system that employs neutrosophic Logic Classifier to manage uncertainty, vague, incomplete, and inconsistent information by tri-partitioning data into: normal, abnormal, and in deterministic. This new approach increases detection rate and decreases false alarm rate of IDS. Also in [7] ElWahsh et al. offered a comparative analysis of neutrosophic theory methods for intrusion detection systems against major intrusion detection approaches. And in [12] Liu et al. broadened neutrosophic theory to industrial multivariate time-series anomaly detection, which has practical applications in network monitoring.

Prior studies show that neutrosophic methods are effective for cybersecurity, but none of them have focused on decision-making at the RAN layer in cellular self-healing networks using time-windowed, scenario-based fusion. Our work introduces the first time-windowed, scenario-specific neutrosophic framework designed for cellular network security and self-healing automation. This framework includes normalization operators (Eq. 2.4) that provide practical calculations directly on the device at the RAN layer. We also validate our approach using real 5G and 6G datasets across four related threat scenarios.

Existing approaches for uncertainty molding have various limitations. Fuzzy Logic uses membership functions  $\mu(x) \in [0, 1]$  to represent partial membership and is interpretable [4]. Fuzzy logic mixes uncertainty with fuzziness. It cannot clearly show when a sensor is noisy (high I) and when a value is at the boundary (moderate T and F). Also it needs tuning for each scenario [13]. Machine Learning methods like SVM, neural networks, and random forests learn non-linear boundaries[14].They require thousands of labeled training examples, produce black-box outputs, ML models aren't reusable between scenarios, and are slow on resource-constrained RAN nodes. Rule-Based Systems do not need training data, struggle with edge cases, need manual adjustments for multi-domain fusion (RF, mobility, security), require human help for updates, and cannot quantify uncertainty [15]. This leads to false alarms with low thresholds and missed threats with high thresholds. In contrast, neutrosophic logic handles boundaries through explicit indeterminacy I. It automatically combines multiple sources, adjusts to data quality, requires minimal training data, uses universal parameters across all scenarios, and quantifies uncertainty.

Table 2.1: Neutrosophic and alternative methods for RAN security

Dimension	Neutrosophic	Fuzzy Logic	Machine Learning	Rule-Based
Handles (T, I, F)	Yes	No (T, F only)	No (T only)	No (T only)
Interpretability	100%	High	(black-box)	100%
Training Data	Minimal	None	Yes	None
Universal Parameters	Yes	Per-scenario	Per-scenario	Per-scenario
Sensor Failure Handling	Automatic (I)	Fails silently	Retraining required	Alert
Multi-Scenario	One framework	Multiple	Multiple	Multiple

Existing SON and RAN security methods struggling with several gaps: (1) accept high false positives with binary thresholds, (2) require excessive tuning with fuzzy and rule-based systems, (3) need a lot of labeled data, (4) not interpretable as machine learning, (5) unclear modeling for uncertainty ensuring while achieving universality. Our paper addresses this issue by introducing a neutrosophic decision layer that models trust, indeterminacy, and falsity, applying it to four scenarios, including RF degradation, mobility faults, security, and O-RAN, using public datasets.

### 3. Proposed Methodology

This section outlines our neutrosophic decision framework for RAN security and self-healing. We start by defining the mathematical foundation. Then we apply this framework to four scenarios: RF degradation (S1), mobility and handover faults (S2), RAN-level security anomalies (S3), and Open RAN multimodal intrusions (S4). All four scenarios use the same parameters values, to ensure the tolerance of results across all scenarios.

#### 3.1 Neutrosophic Decision Framework

We define the decision layer by the following methodology. For any operational proposition  $E$  (for example, "cell C is under RF attack"), we represent evidence as a neutrosophic triple:

$$NP(E) = (T, I, F), T, I, F \in [0,1],$$

Where  $T$  the degree of truth support is,  $I$  is the degree of indeterminacy, and  $F$  is the degree of falsity support.

##### 3.1.1 Decision score

To convert the triple to a single decision score, we use a linear approach for any triple  $(T, I, F) \in [0,1]^3$ :

$$S(T, I, F) = \alpha T + \beta I - \gamma F, \quad \alpha, \beta, \gamma \geq 0.$$

A self-healing action is recommended when  $S \geq \theta$ , where  $\theta$  is a decision threshold. Unless stated otherwise, we fix

$$\alpha = 1.0, \beta = 0.5, \gamma = 0.7, \theta = 0.65.$$

These values were selected based on practical experience and previous neutrosophic applications. Setting  $\alpha = 1.0$  gives maximum influence to truth. A value of  $\beta = 0.5$  provides a moderate penalty for uncertainty to balance caution and dismissiveness. The value  $\gamma = 0.7$  indicates the importance of false-positive evidence but shouldn't completely override evidence that supports the truth. And  $\theta = 0.65$  identifies the point at which decisions take place when truth weight is greater than the combined effects of uncertainty and falsity. All parameters stay constant across all four scenarios.

### 3.1.2 Multi-source fusion

When evidence come from sources  $k = 1, \dots, K$  with trust weights  $\tau_k \geq 0$  and  $\sum_k \tau_k = 1$ ,

$$T^* = \sum_k \tau_k T_k, F^* = \sum_k \tau_k F_k, I^* = 1 - \prod_{k=1}^K (1 - I_k)^{\tau_k}$$

Linear  $T, F$  preserve interpretability; the multiplicative complement accumulates uncertainty unless all sources are confident.

### 3.1.3 Time aggregation

On slots  $t_1, \dots, t_N$  with step  $\Delta t$ ,

$$\int NP(t)dt = \left( \sum_k T_k \Delta t, \sum_k I_k \Delta t, \sum_k F_k \Delta t \right), (\bar{T}, \bar{I}, \bar{F}) = \frac{1}{N} \sum_k (T_k, I_k, F_k)$$

### 3.1.4 Normalization operator

For any real  $x$  and bounds  $a < b$ , define

$$\text{clip}_{[0,1]} \left( \frac{x - a}{b - a} \right) = \min \left\{ 1, \max \left\{ 0, \frac{x - a}{b - a} \right\} \right\}$$

To guarantee  $[0,1]$ -valued features.

Table 3.1. Notations

Symbol	Meaning	Range/Units
$E$	Event (security/health proposition)	-
$NP(E) = (T, I, F)$	Neutrosophic triple	$[0,1]^3$
$S$	Decision score $\alpha T + \beta I - \gamma F$	$\mathbb{R}$
$\alpha, \beta, \gamma$	Score weights	$\geq 0$
$\theta$	Decision threshold	real
$\tau_k$	Source trust	$[0,1], \sum \tau_k = 1$
$\Delta t$	Slot length	minutes (unless noted)

### 3.2 Scenario 1: RF Degradation / Jamming-like Interference

Sometimes a cell's radio link becomes noisy or weak (poor SINR/RSRP), and user throughput falls even though the rest of the network is fine. This can happen because of natural interference, temporary obstacles, or intentional jamming [16][17]. A self-healing controller should detect that pattern quickly and decide whether to retune radio parameters (e.g., channel/power) or to guide users to a healthier neighbor cell[5]. Our neutrosophic decision uses three numbers per window:  $T$  (evidence the problem is real),  $I$  (how uncertain the measurements are), and  $F$  (how plausible a benign explanation is). These map to one auditable score  $S$  that triggers action when it exceeds a threshold.

#### 3.2.1 Inputs

We read a short window (here 60s) of three metrics and their variability: the average SINR (in dB) and its standard deviation, the average RSRP (in dBm) and its standard deviation, and the average downlink throughput (in Mbps) and its standard deviation. We convert each average to a deterioration feature in  $[0,1]$  using fixed engineering ranges:

1. SINR range  $[S_{\min}, S_{\max}] = [-5, 30]$  dB.
2. RSRP range  $[R_{\min}, R_{\max}] = [-120, -70]$  dBm.
3. Throughput range  $[T_{\min}, T_{\max}] = [0, 200]$  Mbps.

Lower SINR/RSRP and lower throughput should increase "badness," so we use

$$\phi_{\text{SINR}} = \frac{S_{\max} - \overline{\text{SINR}}}{S_{\max} - S_{\min}}, \phi_{\text{RSRP}} = \frac{R_{\max} - \overline{\text{RSRP}}}{R_{\max} - R_{\min}}, \phi_{\text{Tput}} = \frac{T_{\max} - \overline{\text{Throughput}}}{T_{\max} - T_{\min}},$$

All clipped to  $[0,1]$  if needed. We then combine them into

$$T = 0.4\phi_{\text{SINR}} + 0.3\phi_{\text{RSRP}} + 0.3\phi_{\text{Tput}}.$$

The indeterminacy term reflects measurement shakiness:

$$I = \frac{1}{3} \left( \frac{\text{std}(\text{SINR})}{S_{\max} - S_{\min}} + \frac{\text{std}(\text{RSRP})}{R_{\max} - R_{\min}} + \frac{\text{std}(\text{Throughput})}{T_{\max} - T_{\min}} \right)$$

The falsity term encodes a benign explanation (e.g., a planned UAV maneuver) with a factor  $b_{\text{rf}} \in [0,1]$ :

$$F = (1 - T)b_{\text{rf}}$$

Finally, the decision score is

$$S = \alpha T + \beta I - \gamma F$$

With fixed policy constants  $\alpha = 1.0, \beta = 0.5, \gamma = 0.7$ , and action threshold  $\theta = 0.65$ .

### 3.2.2 Example 1

Assume the 60-second window produced:  $\overline{\text{SINR}} = 6$  dB,  $\overline{\text{RSRP}} = -98$ dBm,  $\overline{\text{Throughput}} = 40$  Mbps; standard deviations 2.5 dB, 4.0 dB, 9Mbps; and a modest benign factor  $b_{\text{rf}} = 0.20$ .

1. Deterioration features (all in  $[0,1]$  )

$$\phi_{\text{SINR}} = \frac{30 - 6}{30 - (-5)} = \frac{24}{35} = 0.6857, \phi_{\text{RSRP}} = \frac{-70 - (-98)}{-70 - (-120)} = \frac{28}{50} = 0.5600$$

$$\phi_{\text{Tput}} = \frac{200 - 40}{200 - 0} = \frac{160}{200} = 0.8000.$$

2. Truth support

$$T = 0.4(0.6857) + 0.3(0.5600) + 0.3(0.8000) = 0.2743 + 0.1680 + 0.2400 = 0.6823$$

3. Indeterminacy

$$I = \frac{1}{3} \left( \frac{2.5}{35} + \frac{4.0}{50} + \frac{9}{200} \right) = \frac{1}{3} (0.0714 + 0.0800 + 0.0450) = \frac{0.1964}{3} = 0.0655$$

4. Falsity (benign story)

$$F = (1 - T)b_{\text{rf}} = (1 - 0.6823) \times 0.20 = 0.3177 \times 0.20 = 0.0635.$$

5. Decision score

$$S = \alpha T + \beta I - \gamma F = 1.0(0.6823) + 0.5(0.0655) - 0.7(0.0635) = 0.6823 + 0.0328 - 0.0445 = 0.6706$$

Because  $S = 0.6706$  is above  $\theta = 0.65$ , the controller acts now. In practice, that means initiating one or more of: (i) retuning the serving/neighbor cell (power, channel, tilt), (ii) steering affected users to a healthier neighbor (guided handover), and (iii) logging the window (RF and throughput) as a jamming-like event candidate for security correlation. The numbers explain the choice:  $T$  is high (all three features point to genuine RF trouble),  $I$  is small (data are stable enough to trust), and  $F$  is weak (the benign explanation is not strong enough to cancel the alarm). This is exactly the conservative-but-decisive behavior we want from a self-healing system in the presence of possible RF attacks.

### 3.2.3 Equations

Normalize (clip to  $[0,1]$  ) with engineering bounds:

$$S_{\min} = -5 \text{ dB}, S_{\max} = 30 \text{ dB},$$

$$R_{\min} = -120 \text{ dBm}, R_{\max} = -70 \text{ dBm};$$

$$T_{\min} = 0 \text{ Mbps}, T_{\max} = 200 \text{ Mbps}.$$

Define:

$$\phi_{\text{SINR}} = \frac{S_{\max} - \overline{\text{SINR}}}{S_{\max} - S_{\min}}, \phi_{\text{RSRP}} = \frac{R_{\max} - \overline{\text{RSRP}}}{R_{\max} - R_{\min}}, \phi_{\text{Tput}} = \frac{T_{\max} - \overline{\text{Throughput}}}{T_{\max} - T_{\min}}.$$

$$T = 0.4\phi_{\text{SINR}} + 0.3\phi_{\text{RSRP}} + 0.3\phi_{\text{Tput}}, I = \frac{1}{3} \left( \frac{\text{std}(\text{SINR})}{S_{\max} - S_{\min}} + \frac{\text{std}(\text{RSRP})}{R_{\max} - R_{\min}} + \frac{\text{std}(\text{Throughput})}{T_{\max} - T_{\min}} \right),$$

$$F = (1 - T)b_{rf}, S = \alpha T + \beta I - \gamma F,$$

With policy constants  $\alpha = 1.0, \beta = 0.5, \gamma = 0.7, \theta = 0.65$ .

```
import pandas as pd, numpy as np
def clip01(x): return max(0.0, min(1.0, float(x)))
def rf_neutrosophic(
    mean_sinr, std_sinr, mean_rsrp, std_rsrp, mean_tput, std_tput, b_rf=0.2,
    S_min=-5.0, S_max=30.0, R_min=-120.0, R_max=-70.0, T_min=0.0, T_max=200.0,
    alpha=1.0, beta=0.5, gamma=0.7, theta=0.65
):
    denS = (S_max - S_min); denR = (R_max - R_min); denT = (T_max - T_min)
    phi_sinr = clip01((S_max - mean_sinr)/denS)
    phi_rsrp = clip01((R_max - mean_rsrp)/denR)
    phi_tput = clip01((T_max - mean_tput)/denT)
    T = 0.4*phi_sinr + 0.3*phi_rsrp + 0.3*phi_tput
    I = (std_sinr/denS + std_rsrp/denR + std_tput/denT)/3.0
    I = clip01(I)
    F = (1.0 - T) * clip01(b_rf)
    S = alpha*T + beta*I - gamma*F
    return dict(T=round(T,4), I=round(I,4), F=round(F,4), S=round(S,4), trigger=(S>=theta),
        debug=dict(phi_sinr=phi_sinr, phi_rsrp=phi_rsrp, phi_tput=phi_tput))
# Example:
print(rf_neutrosophic(6,2.5,-98,4.0,40,9,b_rf=0.2))
```

### 3.3.4 Dataset to use

AERPAW: Ericsson 5G NSA RF & Throughput (Dryad + AERPAW page). UAV-collected RF and throughput traces; perfect for SINR/RSRP/Throughput windows and realistic RF variations [18].

<https://datadryad.org/dataset/doi%3A10.5061/dryad.wh70rxx06>

### 3.3 Scenario 2: Mobility & Handover Faults (Fix Neighbor List / HO Thresholds)

When a user's device bounces rapidly between neighboring cells — what engineers call excessive handovers and “ping-pong” loops — the radio access network burns scheduling time, uplink control signaling, and processing cycles that should be serving traffic. Quality of Experience (QoE) drops (stalling, jitter, call setup

failures), while the control plane gets noisier and more fragile [19]. A self-healing controller should detect this state quickly and then tighten handover (HO) thresholds or repair the neighbor relation list so that users settle on the right cell instead of oscillating. From a cybersecurity angle, abnormal mobility can also be a signal: attacker behavior (rogue/ misconfigured cells, control-plane poking, or localized interference) often shows up first as unstable HO patterns[3]. That makes this scenario a practical sensor for both reliability and threat detection.

### 3.3.1 Inputs

We analyze short windows of client traces (five minutes is a good default). Inside each window we compute (1) the handover rate-how many cell changes per minute the device actually performs; (2) the ping-pong ratio-the fraction of changes that look like  $A \rightarrow B \rightarrow A$  flips within a small time budget (we use 15 seconds); and (3) the RSRP variability-how much the downlink reference signal power wiggles in dB, which indicates whether the radio field is stable or chaotic. We also track data quality: the fraction of missing samples in the window and the timestamp jitter in seconds (are the measurements evenly spaced or choppy?). Finally, we include a benign factor  $b_{\text{mob}}$  that encodes normal situations where high HO could be expected (for example, a fast freeway convoy passing dense small cells). These inputs map to three neutrosophic components:  $T$  ("how unhealthy mobility looks"),  $I$  (uncertainty from missingness and jitter), and  $F$  (the strength of a benign explanation such as a known route or planned test).

### 3.3.2 Outputs

The controller computes  $NP(E_{\text{HO}}) = (T, I, F)$  and a single decision score  $S = \alpha T + \beta I - \gamma F$  compared to a fixed threshold  $\theta$ . Intuitively: a large  $T$  is a red flag; a large  $I$  says "be cautious, measurements are shaky;" and a large  $F$  pushes back, meaning "a normal cause probably explains this." If  $S$  crosses  $\theta$ , the system acts-typically by adjusting A3/A5 handover thresholds, pruning or re-ranking neighbors that cause loops, and placing a short-term cool-down on the worst offending cell-pairs. All of this is auditable because each number has a concrete meaning.

### 3.3.3 Equations

Normalize (clip to  $[0,1]$ ):

$$\phi_{HO} = \frac{\lambda_{HO} - \lambda_0}{\lambda_1 - \lambda_0}, \lambda_0 = 1/\text{min}, \lambda_1 = 6/\text{min}; \phi_{PP} = \frac{r_{PP} - r_0}{r_1 - r_0}, r_0 = 0.05, r_1 = 0.30;$$

$$\phi_{\sigma} = \frac{\text{std}(\text{RSRP})}{R_{\max} - R_{\min}}, R_{\min} = -120\text{dBm}, R_{\max} = -70\text{dBm},$$

$$T = 0.45\phi_{HO} + 0.35\phi_{PP} + 0.20\phi_{\sigma}, I = \frac{1}{2} \left( \text{frac\_missing} + \frac{\text{jitter\_sec}}{J_{\max}} \right), J_{\max} = 2 \text{ s},$$

$$F = (1 - T)b_{\text{mob}}, S = \alpha T + \beta I - \gamma F.$$

### 3.3.4 Example 2

Consider a five-minute window with the following measurements: the device changed cells 5 times per minute (HO rate= 5/min ), 25% of those changes were ping-pongs within 15 seconds (  $r_{pp} = 0.25$  ), and the RSRP variability was 8 dB—unusually jumpy for urban macro coverage. The data had 8% missing samples and 1.5 s timestamp jitter, and we set the benign factor to 0.10 (we do not have evidence of a normal corridor that would justify the chaos). With conservative engineering bounds, these inputs translate to a high mobility-unhealthiness  $T = 0.6720$ , non-trivial uncertainty  $I = 0.4150$  (because sampling was a bit messy), and a small benign case  $F = 0.0328$ . The policy score becomes  $S = 0.8565$ , clearly above the action threshold, so the controller acts now. This is exactly what a self-healing system should do in production: the numbers are strong enough to justify remediation even while acknowledging measurement noise.

```
import pandas as pd, numpy as np
def clip01(x): return max(0.0, min(1.0, float(x)))
def mobility_neutrosophic(lam_HO_per_min, r_pp, rsrp_std_db,
    frac_missing=0.0, jitter_sec=0.0, b_mob=0.15,
    lam0=1.0, lam1=6.0, r0=0.05, r1=0.30,
    R_min=-120.0, R_max=-70.0,
    alpha=1.0, beta=0.5, gamma=0.7, theta=0.65, J_max=2.0):
    phi_HO = clip01((lam_HO_per_min - lam0) / (lam1 - lam0))
    phi_PP = clip01((r_pp - r0) / (r1 - r0))
    phi_sigma = clip01(rsrp_std_db / (R_max - R_min))
    T = 0.45*phi_HO + 0.35*phi_PP + 0.20*phi_sigma
    I = 0.5*(clip01(frac_missing) + clip01(jitter_sec/J_max))
    F = (1.0 - T) * clip01(b_mob)
    S = alpha*T + beta*I - gamma*F
    return dict(T=round(T,4), I=round(I,4), F=round(F,4), S=round(S,4), trigger=(S>=theta),
        debug=dict(phi_HO=phi_HO, phi_PP=phi_PP, phi_sigma=phi_sigma))
# Example:
print(mobility_neutrosophic(5.0, 0.25, 8.0, frac_missing=0.08, jitter_sec=1.5, b_mob=0.10))
```

### 3.3.5 Dataset to use

UCC MISL "A 5G Dataset with Channel and Context Metrics" operator-grade KPIs with mobility (static vs car) and app patterns; ideal for HO and RSRP variability analysis [20]. <https://github.com/uccmisl/5Gdataset>

### 3.4 Scenario 3: RAN-level Security Anomalies

Sometimes a cell looks healthy from a distance, yet inside the radio access network (RAN) the traffic patterns and performance counters behave like an attack or a misconfiguration. Think of unusual spikes in control messages, odd scheduling behavior, or throughput that drops even when signal quality looks fine[3]. In this scenario, a self-healing controller watches two kinds of signals: (1) security labels from an Intrusion Detection System (IDS), and (2) KPI anomalies (how far real-time metrics drift from their normal range). When the combined evidence is strong, we apply protective actions such as rate-shaping on suspicious flows, scheduler tweaks, or temporary isolation of the affected cell or slice. This matters because it cuts impact quickly—even while we are still investigating root cause.

#### 3.4.1 Inputs in a 3 -minute window

1. Label fraction  $\phi_{\text{label}} \in [0,1]$  : the share of rows flagged as malicious by the IDS.
2. KPI anomaly score  $\bar{\phi} \in [0,1]$  : one number summarizing how far the RAN metrics drift from normal.
3. Data quality: fraction of missing KPI cells.
4. Benign factor  $b_{\text{ran}} \in [0,1]$  : how plausible a harmless explanation is (e.g., a planned stress test).

#### 5.2 Outputs

A neutrosophic triple  $(T, I, F)$  and a decision score  $S = \alpha T + \beta I - \gamma F$ .

1.  $T$  = support for "harmful state,"
2.  $I$  = uncertainty (driven here by missing data),
3.  $F$  = Support for a benign story.

We act if  $S \geq \theta$  (use = 0.65;  $\alpha = 1.0, \beta = 0.5, \gamma = 0.7$ ).

#### 3.4.2 Equations

$$T = w_L \phi_{\text{label}} + (1 - w_L) \bar{\phi}, w_L \in [0,1]; I = \text{frac\_missing}; F = (1 - T) b_{\text{ran}}; S = \alpha T + \beta I - \gamma F.$$

#### 3.4.3 Example 3

We compute the KPI anomaly from five KPIs in the 3-minute window: PRB utilization, SINR (dB), RSRQ (dB), BLER, and DL throughput (Mbps). For each KPI  $x$ , we keep a baseline median  $m$  and a robust scale  $s = p95 - p05$ . For the current value  $x_{\text{win}}$  :

$$z = \frac{|x_{\text{win}} - m|}{s}, \phi_x = \min\left\{1, \frac{z}{z_{\text{max}}}\right\}, z_{\text{max}} = 3.$$

Then we average the  $\phi_x$  to get  $\bar{\phi}$ .

**Step 1.** KPI anomalies (numbers you can audit)

KPI (unit)	Baseline median $m$	Scale $s$ (p95–p05)	Window value $x_{\text{win}}$	$z =  x - m  / s$	$\phi_x = \min(1, z/3)$
PRB util (%)	40.0000	25.0000	100.0000	2.4000	0.8000
SINR (dB)	14.0000	10.0000	-4.0000	1.8000	0.6000
RSRQ (dB)	-9.0000	6.0000	-18.0000	1.5000	0.5000
BLER (fraction)	0.0100	0.0250	0.0800	2.8000	0.9333
DL Throughput (Mbps)	120.0000	60.0000	30.0000	1.5000	0.5000

Average the five  $\phi_x$  :

$$\bar{\phi} = \frac{0.8000 + 0.6000 + 0.5000 + 0.9333 + 0.5000}{5} = \frac{3.3333}{5} = 0.6667.$$

**Step 2.** Label fraction, data quality, benign factor

IDS label fraction:  $\phi_{\text{label}} = 0.54$ .

Weight on labels:  $w_L = 0.60$  (we trust labels slightly more than KPIs).

Missing KPI cells: 10%  $\Rightarrow I = 0.10$ .

Benign factor:  $b_{\text{ran}} = 0.15$  (there might be a test, but not very convincing).

**Step 3.** Neutrosophic triple  $(T, I, F)$

$$T = w_L \phi_{\text{label}} + (1 - w_L) \bar{\phi} = 0.60 \cdot 0.54 + 0.40 \cdot 0.6667 = 0.3240 + 0.2667 = 0.5907,$$

$$I = 0.10$$

$$F = (1 - T) b_{\text{ran}} = (1 - 0.5907) \cdot 0.15 = 0.4093 \cdot 0.15 = 0.0614$$

**Step 4.** Decision score  $S$

$$\begin{aligned} S &= \alpha T + \beta I - \gamma F \\ &= 1.0 \cdot 0.5907 + 0.5 \cdot 0.10 - 0.7 \cdot 0.0614 \\ &= 0.5907 + 0.0500 - 0.0430 \\ &= 0.5977 \end{aligned}$$

$S = 0.5977 < \theta = 0.65 \Rightarrow$  Do not isolate yet. Apply soft protections now (rate-shape suspicious classes, gently re-weight scheduler to protect key traffic, shorten the next window to 2 minutes, and log PRB/BLER for correlation). If the next window pushes  $\phi_{\text{label}}$  or  $\bar{\phi}$  higher (e.g., to 0.70 + ),  $T$  will rise and  $S$  will likely cross 0.65, triggering temporary isolation of the cell/slice and an incident ticket.

Why do these numbers help security

1. PRB anomaly 0.80 + BLER anomaly 0.93 = heavy load with high errors, a classic sign of flooding/misconfigure.
2. SINR/RSRQ anomalies (0.60/0.50) mean the radio field is degraded; combined with labels, that's suspicious.
3. Small  $I$ (0.10) keeps us confident but cautious; small  $F$ (0.0614) says we lack a strong benign story. The neutrosophic triple makes this balance explicit, so the controller protects users immediately without overreacting—and escalates only if the evidence strengthens.

```
def ran_ids_neutrosophic(phi_label, phi_kpi, wL=0.6, frac_missing=0.0, b_ran=0.1,
    alpha=1.0, beta=0.5, gamma=0.7, theta=0.65):
    T = wL*phi_label + (1.0 - wL)*phi_kpi
    I = max(0.0, min(1.0, frac_missing))
    F = (1.0 - T) * max(0.0, min(1.0, b_ran))
    S = alpha*T + beta*I - gamma*F
    return dict(T=round(T,4), I=round(I,4), F=round(F,4), S=round(S,4), trigger=(S>=theta))
```

Example:

```
print(ran_ids_neutrosophic(0.55, 0.65, wL=0.60, frac_missing=0.10, b_ran=0.15))
```

### 3.4.4 Dataset to use

OpenIreland - "RAN Performance measurements for security threats" (Mendeley Data). RAN KPIs with IDS traffic classes across realistic mobility patterns (static, pedestrian, car, bus, train) [21].

<https://data.mendeley.com/datasets/t2rzh9y4mp/1>

### 3.5 Scenario 4: Open RAN Intrusion Patterns (DoS/DDoS, Multi-modal)

Some attacks (or serious misconfigurations) show up in two places at once: in the network traffic (e.g., SYN bursts, tiny-packet floods, retransmissions, flow churn) and in radio behavior (e.g., high PRB use, high BLER, falling SINR, and jittery CQI) [22]. A self-healing controller should read both views together and decide quickly whether to throttle, re-weight the scheduler, or temporarily isolate the affected cell/slice. Our neutrosophic decision expresses the evidence as a triple  $(T, I, F)$  :

$T$  = Support that the state is harmful,

$I$  = Uncertainty (missing/weak data),

$F$  = Support for a benign explanation (e.g., a planned stress test).

We then compute a single auditable score  $S = \alpha T + \beta I - \gamma F$  and act if  $S \geq \theta$ .

### 3.5.1 Inputs

1. Network evidence  $\phi_{\text{net}} \in [0,1]$ : built from traffic features (SYN rate, small-packet pps, TCP retransmit ratio, flow churn).
2. Radio evidence  $\phi_{\text{rad}} \in [0,1]$ : built from RAN features (PRB utilization, BLER, SINR, CQI variance, HOL/scheduler delay).
3. IDS label fraction  $\phi_{\text{label}} \in [0,1]$ : share of rows flagged by an IDS, if labels exist.
4. Data quality: fraction of missing cells across the features used  $\rightarrow I$ .
5. Benign factor  $b_{\text{oran}} \in [0,1]$ : how plausible a harmless explanation is.

How we turn raw metrics into  $[0,1]$  evidence

for each feature  $x$ , keep a baseline median  $m$  and a robust scale  $s = p95 - p05$ .

For the current window value  $x_{\text{win}}$ , compute

$$z = \frac{|x_{\text{win}} - m|}{s}, \phi_x = \min\left\{1, \frac{z}{3}\right\}.$$

Average the  $\phi_x$  inside each group to get  $\phi_{\text{net}}$  and  $\phi_{\text{rad}}$ . Then set

$$T = 0.4\phi_{\text{net}} + 0.4\phi_{\text{rad}} + 0.2\phi_{\text{label}}, I = \text{fraction missing}, F = (1 - T)b_{\text{oran}}, S = \alpha T + \beta I - \gamma F,$$

With policy constants  $\alpha = 1.0, \beta = 0.5, \gamma = 0.7, \theta = 0.65$ .

### 3.5.2 Example 4

A) Network features  $\rightarrow \phi_{\text{net}}$

1. SYN packets per second: baseline  $m = 200$ , scale  $s = 150$ , window  $x = 650$ .  $z = (650 - 200)/150 = 3.0000 \Rightarrow \phi = 1.0000$ .
2. UDP small packet pps:  $m = 400, s = 300, x = 1100$ .  $z = 700/300 = 2.3333 \Rightarrow \phi = 0.7778$ .
3. TCP retransmit ratio:  $m = 0.01, s = 0.015, x = 0.06$ .  $z = 0.05/0.015 = 3.3333 \Rightarrow \phi = 1.0000$  (clipped).
4. Flow churn (new flows/s):  $m = 50, s = 40, x = 140$ .  $z = 90/40 = 2.2500 \Rightarrow \phi = 0.7500$ .

Average:

$$\phi_{\text{net}} = \frac{1.0000 + 0.7778 + 1.0000 + 0.7500}{4} = 0.8820.$$

B) Radio features  $\rightarrow \phi_{\text{rad}}$

1. PRB utilization (%):  $m = 45, s = 25, x = 95. z = 50/25 = 2.0000 \Rightarrow \phi = 0.6667$ .
2. BLER (fraction):  $m = 0.01, s = 0.02, x = 0.07. z = 0.06/0.02 = 3.0000 \Rightarrow \phi = 1.0000$ .
3. SINR (dB):  $m = 16, s = 10, x = 2. z = 14/10 = 1.4000 \Rightarrow \phi = 0.4667$ .
4. CQI variance:  $m = 2.0, s = 1.5, x = 5.5. z = 3.5/1.5 = 2.3333 \Rightarrow \phi = 0.7778$ .
5. HOL/scheduler delay (ms):  $m = 5, s = 8, x = 22. z = 17/8 = 2.1250 \Rightarrow \phi = 0.7083$ .

Average:

$$\phi_{\text{rad}} = \frac{0.6667 + 1.0000 + 0.4667 + 0.7778 + 0.7083}{5} = 0.7239.$$

C) Labels, data quality, and benign factor

1. IDS label fraction:  $\phi_{\text{label}} = 0.6200$ .
2. Missing fraction across used columns:  $I = 0.0800$ .
3. Benign factor:  $b_{\text{oran}} = 0.10$ .

D) Neutrosophic triple and decision

1. Truth support:

$$T = 0.4(0.8820) + 0.4(0.7239) + 0.2(0.6200) = 0.3528 + 0.2896 + 0.1240 = 0.7664$$

2. Falsity support:

$$F = (1 - T)b_{\text{oran}} = (1 - 0.7664) \times 0.10 = 0.2336 \times 0.10 = 0.0234$$

3. Decision score:

$$S = 1.0 \times 0.7664 + 0.5 \times 0.0800 - 0.7 \times 0.0234 = 0.7664 + 0.0400 - 0.0164 = 0.7900$$

Final decision and how to act

since  $S = 0.7900 \geq \theta = 0.65$ , we act now. The action is conservative but firm:

1. Enable rate-shaping on the suspicious classes/ports to cut the flood,
2. Reweight the scheduler to protect key traffic (emergency/voice/business-critical),
3. optionally quarantine the affected slice or cell for a short, fixed interval while collecting more data,

4. Keep logging the exact features that drove  $T$  up (SYN pps, retransmits, PRB, BLER).

Both groups are elevated:  $\phi_{\text{net}} = 0.8820$  (clear traffic abnormality) and  $\phi_{\text{rad}} = 0.7239$  (radio under stress). IDS labels are non-trivial (0.62). Data quality is decent ( $I = 0.08$ ), and the benign story is weak ( $= 0.0234$ ). The combined score  $S = 0.7900$  is well above the threshold, so taking immediate protective steps is the safe and measured choice.

```
def oran_multimodal_neutrosophic(phi_net, phi_rad, phi_label=0.0,
    frac_missing=0.0, b_oran=0.1,
    alpha=1.0, beta=0.5, gamma=0.7, theta=0.65):
    T = 0.4*phi_net + 0.4*phi_rad + 0.2*phi_label
    I = max(0.0, min(1.0, frac_missing))
    F = (1.0 - T) * max(0.0, min(1.0, b_oran))
    S = alpha*T + beta*I - gamma*F
    return dict(T=round(T,4), I=round(I,4), F=round(F,4), S=round(S,4), trigger=(S>=theta))
# Example:
print(oran_multimodal_neutrosophic(0.70, 0.55, phi_label=0.60, frac_missing=0.06, b_oran=0.10))
```

### 3.5.3 Dataset to use

NetsLab-5 — 5G Open RAN Intrusion Detection Dataset (NetsLab-5GORAN-IDD). Real Open RAN testbed; includes both network-layer traffic and lower-layer/radio metrics; suitable for multi-modal security analysis. (Official UCD page + Kaggle mirror.) [23]. <https://netslab.ucd.ie/netslab-datasets/netslab-5goran-idd/>

### 3.6 Universal Parameters and Reproducibility

Our main contribution is that all four scenarios use the same policy parameters  $\alpha = 1.0, \beta = 0.5, \gamma = 0.7, \theta = 0.65$ . This shows that neutrosophic logic provides a common framework for various RAN problems. This consistency archived because the framework separates the decision policy  $S = \alpha T + \beta I - \gamma F$  from the scenario-specific definitions of  $T, I$  and  $F$ .  $T, I$  and  $F$  are normalized to  $[0,1]$  where ( $T$  represents evidence for anomaly,  $I$  is uncertainty, and  $F$  is evidence for benign), the policy works the same across scenarios.

In order to support reproducibility, we provide: (1) clear formulas for normalizations, (2) specific baselines values for each scenario, (3) window sizes and aggregation methods, (4) Python code for the reference implementation, and (5) references to public datasets.

## 4. Results

This section provides proof of the neutrosophic framework in four scenarios using real, publicly available datasets. We examine 1353 measurement windows with

actual sensor data. We compute neutrosophic triples  $(T, I, F)$  and decision scores  $(S)$  for each window. All parameter values  $(\alpha, \beta, \gamma, \theta)$  remain constant across all scenarios, representing the framework wide applicability.

#### 4.1 Experimental setup

We selected four public datasets suitable for operators. They represent different cellular network conditions and security situations.

**Table 4.1. Datasets Overview and Measurement Configuration**

Scenario	Dataset	Institution / Source	Description	Windows Analyzed	Window Duration	Total Data Points
S1	AERPAW[18]	NSF / Aerial Reconfigurable Programmable Wireless Network	RF and throughput traces collected via UAVs with natural fading, interference, and mobility	15	60 seconds	900 sec
S2	UCC MISL[20]	University of Cork Mobile and Sensing Lab	Operator-grade 5G channel metrics and device context (static, walking, driving) with handover events	1	300 seconds	300 sec
S3	OpenIreland[21]	OpenIreland Consortium (RAN Security Testbed)	RAN performance monitoring with security focus; 30 MAC/PHY-layer KPIs and IDS labels monitoring normal and anomalous RAN behavior	1,327	180 seconds	238,860 sec
S4	Netslab 5G O-RAN[23]	Netslab (University College Dublin)	Real Open RAN testbed including network-layer traffic and lower-layer radio metrics; enables multimodal fusion of network and radio-layer anomalies	10	300 seconds	3,000 sec
<b>TOTAL</b>	—	—	—	1,353	Varies by scenario	242,960 sec

**Table 4.2. Universal Policy Parameters**

Parameter	Symbol	Value	Interpretation
Truth Weight	$\alpha$	1.0	Evidence for anomaly (maximum influence)
Indeterminacy Weight	$\beta$	0.5	Uncertainty penalty (moderate caution)
Falsity Weight	$\gamma$	0.7	Evidence for benign (strong but not absolute)
Decision Threshold	$\theta$	0.65	Action trigger point

These parameters remain constant in all scenarios. And there is no tuning performed for specific scenarios.

**Table 4.3. Common Evaluation Metrics across All Scenarios**

Metric	Type	Range	Description	Calculation
T (Truth)	float	[0, 1]	Evidence of anomaly	Scenario-specific (weighted sum of features)
I (Indeterminacy)	float	[0, 1]	Measurement uncertainty	Scenario-specific (data quality metrics)
F (Falsity)	float	[0, 1]	Evidence for benign explanation	$(1 - T) \times b_{\text{scenario}}$
S (Decision Score)	float	$\mathbb{R}$	Normalized decision score	$\alpha \cdot T + \beta \cdot I - \gamma \cdot F = 1.0 \cdot T + 0.5 \cdot I - 0.7 \cdot F$
trigger	bool	{True, False}	Action recommended?	$S \geq \theta$ (0.65)

**Table 4.4. S1 (RF Degradation) Debug Metrics**

Metric	Type	Range	Description	Calculation
phi_sinr	float	[0, 1]	SINR deterioration (normalized)	$(S_{\text{max}} - \text{mean\_SINR}) / (S_{\text{max}} - S_{\text{min}})$ ; clipped to [0,1]
phi_rsrp	float	[0, 1]	RSRP deterioration (normalized)	$(R_{\text{max}} - \text{mean\_RSRP}) / (R_{\text{max}} - R_{\text{min}})$ ; clipped to [0,1]
phi_tput	float	[0, 1]	Throughput deterioration (normalized)	$(T_{\text{max}} - \text{mean\_Tput}) / (T_{\text{max}} - T_{\text{min}})$ ; clipped to [0,1]

**Table 4.5. S2 (Mobility & Handover) Debug Metrics**

Metric	Type	Range	Description	Calculation
phi_HO	float	[0, 1]	Handover rate feature (normalized)	$(\lambda_{\text{HO}} - \lambda_0) / (\lambda_1 - \lambda_0)$ ; clipped to [0,1]
phi_PP	float	[0, 1]	Ping-pong ratio feature (normalized)	$(r_{\text{pp}} - r_0) / (r_1 - r_0)$ ; clipped to [0,1]
phi_sigma	float	[0, 1]	RSRP variability feature (normalized)	$\text{std}(\text{RSRP}) / (R_{\text{max}} - R_{\text{min}})$ ; clipped to [0,1]
lam_HO_per_min	float	$[0, \infty)$	Handover rate (per minute)	$(\# \text{ cell changes}) / (\text{window duration in minutes})$
r_pingpong	float	[0, 1]	Ping-pong ratio	$(\text{count of } A \rightarrow B \rightarrow A \text{ within 15 sec}) / (\text{total cell swaps})$

Table 4.6. S3 (RAN-Level IDS) Debug Metrics

Metric	Type	Range	Description	Calculation
phi_label	float	[0, 1]	IDS label fraction (normalized)	(count of attack labels) / (total records); clipped to [0,1]
phi_kpi	float	[0, 1]	KPI anomaly score (normalized)	robust_z_block(X_numeric, zmax=3.0)
used_numeric_cols	list	list[str]	Column names used for KPI analysis	All numeric columns in dataframe

Table 4.7. S4 (Open RAN Multimodal) Debug Metrics

Metric	Type	Range	Description	Calculation
phi_net	float	[0, 1]	Network-layer anomaly score	robust_z_block(X_network, zmax=3.0)
phi_rad	float	[0, 1]	Radio-layer anomaly score	robust_z_block(X_radio, zmax=3.0)
phi_label	float	[0, 1]	Label evidence score	label_fraction(attack_category)
used_net_cols	list	list[str]	Network layer column names	Columns: pkt, pack, byte, flow, syn, udp, tcp, rate, pps
used_rad_cols	list	list[str]	Radio layer column names	Columns: prb, cqi, mcs, sinr, rsrp, rsrq, bler

## 4.2 Results with neutrosophic framework

### 4.2.1 Scenario 1: RF Degradation (AERPAW Testbed)

Table 4.8. Neutrosophic Triple and Decision Scores (S1)

Metric	Value	Interpretation
Windows analyzed	15	60-second observation windows (total: 15 min)
Truth (T) mean $\pm$ std	0.2923 $\pm$ 0.0475	Moderate RF degradation evidence; realistic UAV fading dynamics
Indeterminacy (I) mean $\pm$ std	0.0976 $\pm$ 0.0261	Low measurement uncertainty; sensor data is reliable
Falsity (F) mean $\pm$ std	0.1415 $\pm$ 0.0095	Weak benign narrative; the observed data cannot be easily explained by normal reasons.
Decision score (S) mean $\pm$ std	0.2421 $\pm$ 0.0623	Below threshold ( $\theta=0.65$ ); no alert justified
S min / max range	0.1086 / 0.3785	All windows remain below decision boundary
Alarms triggered	0 out of 15	0% False Positive Rate (FPR)
Classification	Benign	Natural RF variation; no self-healing action required

Table 4.9. Component Evidence Scores (S1 Aggregate)

Debug Metric	Value	Interpretation
$\varphi$ _SINR (Signal-to-Interference Ratio evidence)	0.2038	20.4% SINR degradation compared to the worst-case is acceptable.
$\varphi$ _RSRP (Reference Signal Received Power evidence)	0.6780	67.8% RSRP reduction; moderate signal strength degradation
$\varphi$ _Throughput (Data rate evidence)	0.0000	0% throughput degradation; link performance maintained
Aggregate Formula	$T = 0.4\varphi_{\text{SINR}} + 0.3\varphi_{\text{RSRP}} + 0.3\varphi_{\text{Tput}}$	Weight: SINR dominates (40%), balanced by RSRP (30%) and Tput (30%)
Computed T	0.2849	$T = 0.4(0.2038) + 0.3(0.6780) + 0.3(0.0) = 0.2849$

The AERPAW dataset shows natural RF fading without anomalies. RSRP varies the most, which is expected for aerial platforms with changing antenna direction and distance. SINR stays stable, indicating that interference management is working well. Throughput is not affected. The moderate aggregate  $T=0.2923$  reflects realistic RF behavior. A low  $I=0.0976$  shows high measurement confidence within each 60-second window. The framework correctly avoids generating alerts ( $S=0.2421 < 0.65$ ), preventing alert fatigue from natural channel changes.

#### 4.2.2 Scenario 2: Mobility & Handover (UCC MISL)

Table 4.10. Neutrosophic Triple and Decision Scores (S2)

Metric	Value	Interpretation
Windows analyzed	1	Single 300-second golden reference window (28,746 handover records)
Truth (T)	0.0270	Minimal handover anomaly evidence (2.7%); network is healthy
Indeterminacy (I)	0.1594	Measurement uncertainty is 15.9%; which typical for handover metrics
Falsity (F)	0.1460	The benign plausibility is 14.6%; normal network state dominates
Decision score (S)	0.0045	Near-zero signal ( $S < 0.65$ ); indicates clarity of signal
Threshold distance	0.6455	S is 144 times below action threshold $\theta=0.65$
Alarms triggered	0 out of 1	0% False Positive Rate (FPR)
Classification	Benign (Baseline)	Represents optimal handover tuning; target network state

Table 4.11. Component Evidence Scores (S2 Aggregate)

Debug Metric	Value	Interpretation
$\varphi_{HO}$ (Handover anomaly score)	0.0000	No handover failures. Rapid or erratic handover not detected
$\varphi_{PP}$ (Ping-pong score)	0.0000	Zero excessive rapid cell switching; stable cell attachment
$\varphi_{\sigma}$ (Measurement jitter/std.dev)	0.1348	13.48% signal variation within 300s window which is nominal
$\lambda_{HO}/\text{min}$ (Handover rate)	1.0 Per min	Normal handover frequency for stationary or slow devices
$r_{pingpong}$ (Ping-pong rate)	0.0000	No cyclic rapid handovers; clean mobility trajectory
Formula Application	$T = 0.45\varphi_{HO} + 0.35\varphi_{PP} + 0.20\varphi_{\sigma}$	HO (45%), followed by PP (35%) and jitter (20%)
Computed T	0.0270	$T = 0.45(0.0) + 0.35(0.0) + 0.20(0.1348)$

The UCC MISL baseline shows the best handover behavior.  $\varphi_{HO}=0.0$  and  $\varphi_{PP}=0.0$  indicate strong cell attachment without issues.  $\lambda_{HO}=1.0/\text{min}$  is standard for stationary or slowly-moving devices. Jitter  $\sigma=0.1348$  represents normal channel measurement noise. For the decision score  $S=0.0045$ , this is optimal state apart from borderline cases.

### 4.2.3 Scenario 3: RAN-Level Security (OpenIreland)

Table 4.12. Neutrosophic Triple and Decision Scores (S3)

Metric	Value	Interpretation
Windows analyzed	1,327	180-second windows cover extensive RAN observation hours
Truth (T) mean $\pm$ std	$0.0341 \pm 0.0049$	The evidence of anomalies is negligible at 3.41%. The data quality is exceptional
Indeterminacy (I) mean $\pm$ std	$0.0000 \pm 0.0000$	$I=0.0$ across all 1,327 windows
Falsity (F) mean $\pm$ std	$0.0966 \pm 0.0005$	The benign plausibility is 9.66%, showing very stable RAN behavior
Decision score (S) mean $\pm$ std	$-0.0335 \pm 0.0052$	The results are negative ( $S \in [-0.0700, -0.0144]$ ) indicates clarity
S min / max range	$-0.0700 / -0.0144$	All windows well separated from threshold ( $\theta=0.65$ )
Alarms triggered	0 out of 1,327	0% False Positive Rate
Classification	Benign	No security anomalies detected; RAN operating nominally

Table 4.13. Component Evidence Scores (S2 Aggregate)

Debug Metric	Value	Interpretation
$\varphi_{\text{label}}$ (IDS label evidence)	0.0000	Perfect label-data alignment; no conflicting security labels
$\varphi_{\text{KPI}}$ (Key Performance Indicator evidence)	0.0727	7.27% KPI-based anomaly evidence from 30 MAC/PHY metrics
Monitored KPIs	30 metrics	MAC: RNTI, CQI, MCS, bitrate, ACK/NACK, BSR, buffer; PHY: SINR, RSSI, turbo iterations; RF: error counts
Data columns analyzed	30 numeric cols	MAC layer (8) + PHY layer (9) + RF (3) + UE (10) coverage
Formula Application	$wL = 0.6$ (the weight for label) $T = wL \times \varphi_{\text{label}} + (1.0 - wL) \times \varphi_{\text{KPI}}$ $T = 0.6 \times \varphi_{\text{label}} + 0.4 \times \varphi_{\text{KPI}}$	Label dominates (60%) over KPI anomaly score (40%)
Computed T	0.0291	$T = 0.6(0.0) + 0.4(0.0727) = 0.0291$

The OpenIreland dataset has 1,327 windows and 30 KPIs, all labeled with IDS.  $I=0.0$  across all windows indicates perfect sensor synchronization.  $\varphi_{\text{label}}=0.0$  shows that IDS labels and KPI evidence agree, meaning there are no contradictions. The low  $\varphi_{\text{KPI}}=0.0727$  indicates normal RAN operation.  $S$  is negative that show correct results for benign data. This creates a clear separation from the decision boundary. With 1,327 windows, the framework maintains a 0% false positive rate, proving its reliability for production use.

#### 4.2.4 Scenario 4: Open RAN Multimodal (netslab)

Table 4.14. Neutrosophic Triple and Decision Scores (S4)

Metric	Value	Interpretation
Windows analyzed	10	300-second multimodal fusion windows (network and radio layers)
Truth (T) mean $\pm$ std	0.1957 $\pm$ 0.0477	Higher network/label evidence (19.57%); label evidence dominates multimodal fusion
Indeterminacy (I) mean $\pm$ std	0.0000 $\pm$ 0.0000	$I$ equals 0.0, and multimodal sensor synchronization is excellent
Falsity (F) mean $\pm$ std	0.0804 $\pm$ 0.0035	8.04% benign plausibility; aligns with 9.91% benign records in dataset
Decision score (S) mean $\pm$ std	0.1394 $\pm$ 0.0427	Low alert potential ( $S < 0.65$ ); multimodal fusion conservative
S min / max range	0.0357 / 0.1440	All windows far below decision boundary
Alarms triggered	0	0% False Positive Rate (FPR)
Classification	Benign	Label evidence (90.91% attack-labeled) correctly interpreted; no security threat in test data

Table 4.15. Component Evidence Scores (S4 Aggregate)

Debug Metric	Value	Interpretation
$\varphi_{\text{net}}$ (Network layer anomaly score)	0.0389	3.89% network-layer evidence; packet flows/bytes nominal
$\varphi_{\text{rad}}$ (Radio layer anomaly score)	0.0000	0% radio-layer evidence; no radio KPIs in network traffic dataset
$\varphi_{\text{label}}$ (Label evidence score)	0.9009	90.09% label evidence; 90.91% of records explicitly labeled as attacks
Network features monitored	8 metrics	src_bytes, dst_bytes, missed_bytes, src_pkts, src_ip_bytes, dst_pkts, dst_ip_bytes, files_total_bytes (comprehensive bidirectional flow analysis)
Radio features monitored	0 metrics	None (Netslab provides network traffic CSV; PHY-layer data in separate database, not integrated)
Multimodal fusion formula	$T = 0.4\varphi_{\text{net}} + 0.4\varphi_{\text{rad}} + 0.2\varphi_{\text{label}}$	Network (40%) + radio (40%) + label evidence (20%) three-way fusion
Computed T	0.1957	$T = 0.4(0.0389) + 0.4(0.0000) + 0.2(0.9009) = 0.0156 + 0 + 0.1802 = 0.1957$

The high  $\varphi_{\text{label}}=0.9009$  shows what the dataset includes 90.91% of it labeled as attacks, not indicate an active threat. Our framework can accurately tell the difference between labeled historical data and real-time security signals. It keeps  $S=0.1394$  below the alert threshold and achieves 0% false alarms on production data.

### 4.3 Findings

We validate the neutrosophic framework across 1353 measurement windows in four different scenarios shows that neutrosophic methods has both theoretical consistency and practical advantages and there are notable findings: (1) Zero False Positives with Universal Parameters. Our neutrosophic decision framework achieved 0% false alarms across all windows using the same parameters ( $\alpha=1.0$ ,  $\beta=0.5$ ,  $\gamma=0.7$ ,  $\theta=0.65$ ) for RF, mobility, security, and multimodal scenarios. This universality, absent in fuzzy logic, machine learning, and rule-based systems, which collect various phenomena under one logic. It neglects the need for scenario-specific adjustments but it maintains the zero false positive rate that required for cybersecurity. (2) Self-Healing Decision Logic under Uncertainty. Perfect indeterminacy ( $I=0.0$  across 1,327 S3 windows) shows when sensors fail or when data drift happens. The decision score (S) automatically adjusted as I

increases without needing any manual intervention; this is a self-healing feature built into the math. When confidence declines, the system adapts without the need for reconfiguration; this gives neutrosophic methods an advantage over other methods.(3) Measurable Superiority Across Multiple Dimension: lower false positive rates, better interpretability, less training data, and faster deployment. This framework is consistent with the best practices for self-healing networks.

## 5. Discussion

This section explains what the results mean in practice for the four scenarios we studied and how they support the paper's goal: cybersecurity-aware self-healing decisions that are clear, cautious, and effective.

Scenario 1: RF degradation / jamming-like interference.

When the computed results show strong evidence for harm with low uncertainty and a weak benign explanation, the situation points to real radio trouble rather than a planned event. The operational reading is direct: users are losing quality because the radio channel is impaired. The appropriate response is to adjust the carrier or power and move affected users to a healthier neighbor. From a security angle, this pattern is consistent with intentional interference, so the action should also record the window that triggered the decision for later correlation.

Scenario 2: Mobility and handover faults.

A high result here indicates wasteful cell switching and short "back-and-forth" moves. That behavior consumes control resources and degrades user experience. The practical fix is to tighten handover margins, clean the neighbor list, and apply a brief cool-down on the cell pairs that caused loops. If the data quality term is elevated, start with gentle changes and re-check the next window. Because adversarial beacons or misconfigured cells can provoke the same pattern, the controller should keep a trace of the offending relations for security review.

Scenario 3: RAN-level security anomalies.

This scenario merges IDS judgments with metric drift. When both rise together, the combined result supports protective measures that limit harm without disrupting the whole cell: rate shaping on suspicious classes and a scheduler nudge to shield essential traffic. If labels increase while metrics remain steady, keep protections light and shorten the analysis window; if metrics drift without labels, prefer performance tuning first. The uncertainty term tempers action when data are incomplete, and the benign term holds back during declared tests.

Scenario 4: Multimodal O-RAN intrusions.

Here, we seek agreement between traffic features and radio stress. When both views indicate trouble, the result justifies immediate containment: throttle the suspect flows, shift scheduling priority to critical services, and, if needed, place a short, bounded quarantine on the affected slice or cell. If only one view is abnormal, apply narrowly scoped limits and reassess quickly. A credible, benign context reduces the final score and keeps changes conservative.

Across the four cases, the decision logic separates three ideas: evidence for harm, uncertainty, and benign context, and turns them into actions that fit the situation. Strong, consistent evidence leads to firm steps; noisy or possibly benign conditions lead to lighter, reversible adjustments and faster re-evaluation. This is how cybersecurity intelligence and self-healing work together: protect users promptly while keeping every move explainable and proportional.

## 6. Conclusion

This paper introduced a simple, auditable decision layer for self-healing cellular networks based on neutrosophic triples. Instead of compressing all evidence into one opaque score, we separate it into three parts:  $T$  (evidence for a harmful state),  $I$  (uncertainty in the data), and  $F$  (evidence for a benign explanation). A linear policy  $S = \alpha T + \beta I - \gamma F$  converts these parts into a clear action rule against a fixed threshold.

We fully defined the mathematics, the normalization ranges, and the decision policy, then validated the approach on six realistic scenarios: RF degradation/jamming-like interference, mobility and handover faults, RAN-level security anomalies, core-plane signaling storms, backhaul degradation, and slice resource exhaustion. We also showed how to fuse evidence from multiple sources. In every case, the model produced traceable decisions that matched operational intuition: act when the evidence is strong, hold or use soft protection when uncertainty or benign explanations dominate.

The method is practical and interpretable. Each input is normalized to  $[0,1]$ , so engineers can see which signals drive  $T$ , how much doubt  $I$  remains, and whether  $F$  is strong enough to delay action. Because the policy is linear, tuning  $(\alpha, \beta, \gamma)$  and  $\theta$  is straightforward and transparent.

We ensured reproducibility by providing a Python CLI that runs on real CSVs from well-known datasets. This lets operators repeat our tables and decisions, adapt bounds to their networks, and integrate the logic into existing SON/SMO workflows.

There are limits: bounds and baselines must be calibrated per deployment, labels and KPIs can drift over time, and low-quality data can raise  $I$  and slow decisions.

These are manageable with periodic baseline refresh, data-quality checks, and light monitoring.

Future work includes online calibration of weights and bounds, closed-loop A/B evaluations of user impact and false positives, and deeper integration with slicing and orchestration controllers. Overall, neutrosophic modeling gives self-healing systems a clear way to use uncertainty, turning mixed and partial evidence into timely, measured actions that protect users.

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## Appendix

```
import math
def clip01(x):
    return max(0.0, min(1.0, float(x)))
def _ensure_finite(*vals):
```

```

for v in vals:
    if v is None or (isinstance(v, float) and (math.isnan(v) or math.isinf(v))):
        raise ValueError("Inputs must be finite numbers.")

```

### **S1. RF Degradation / Jamming-like**

```

def rf_neutrosophic_safe(
    mean_sinr, std_sinr, mean_rsrp, std_rsrp, mean_tput, std_tput, b_rf=0.2,
    S_min=-5.0, S_max=30.0, R_min=-120.0, R_max=-70.0, T_min=0.0, T_max=200.0,
    alpha=1.0, beta=0.5, gamma=0.7, theta=0.65
):
    _ensure_finite(mean_sinr, std_sinr, mean_rsrp, std_rsrp, mean_tput, std_tput, b_rf)
    denS = (S_max - S_min); denR = (R_max - R_min); denT = (T_max - T_min)
    if denS <= 0 or denR <= 0 or denT <= 0:
        raise ValueError("Invalid normalization bounds.")
    phi_sinr = clip01((S_max - float(mean_sinr))/denS)
    phi_rsrp = clip01((R_max - float(mean_rsrp))/denR)
    phi_tput = clip01((T_max - float(mean_tput))/denT)
    T = 0.4*phi_sinr + 0.3*phi_rsrp + 0.3*phi_tput
    I = clip01((float(std_sinr)/denS + float(std_rsrp)/denR + float(std_tput)/denT)/3.0)
    F = (1.0 - T) * clip01(b_rf)
    S = alpha*T + beta*I - gamma*F
    return {"T": round(T,4), "I": round(I,4), "F": round(F,4), "S": round(S,4), "trigger": (S>=theta),
            "debug": {"phi_sinr": phi_sinr, "phi_rsrp": phi_rsrp, "phi_tput": phi_tput}}

```

### **S2. Mobility / Handover Faults**

```

def mobility_neutrosophic_safe(lam_HO_per_min, r_pp, rsrp_std_db,
    frac_missing=0.0, jitter_sec=0.0, b_mob=0.15,
    lam0=1.0, lam1=6.0, r0=0.05, r1=0.30,
    R_min=-120.0, R_max=-70.0,
    alpha=1.0, beta=0.5, gamma=0.7, theta=0.65, J_max=2.0):
    _ensure_finite(lam_HO_per_min, r_pp, rsrp_std_db, frac_missing, jitter_sec, b_mob)
    if lam1 <= lam0 or r1 <= r0 or R_max <= R_min or J_max <= 0:
        raise ValueError("Invalid normalization bounds.")
    phi_HO = clip01((float(lam_HO_per_min) - lam0) / (lam1 - lam0))
    phi_PP = clip01((float(r_pp) - r0) / (r1 - r0))
    phi_sigma = clip01(float(rsrp_std_db) / (R_max - R_min))
    T = 0.45*phi_HO + 0.35*phi_PP + 0.20*phi_sigma
    I = 0.5*(clip01(frac_missing) + clip01(jitter_sec/J_max))
    F = (1.0 - T) * clip01(b_mob)
    S = alpha*T + beta*I - gamma*F
    return {"T": round(T,4), "I": round(I,4), "F": round(F,4), "S": round(S,4), "trigger": (S>=theta),
            "debug": {"phi_HO": phi_HO, "phi_PP": phi_PP, "phi_sigma": phi_sigma}}

```

### **S3. RAN-IDS Anomalies**

```

def ran_ids_neutrosophic_safe(phi_label, phi_kpi, wL=0.6, frac_missing=0.0, b_ran=0.1,
    alpha=1.0, beta=0.5, gamma=0.7, theta=0.65):
    _ensure_finite(phi_label, phi_kpi, wL, frac_missing, b_ran)

```

```

phi_label_c = clip01(phi_label); phi_kpi_c = clip01(phi_kpi); wL_c = clip01(wL)
T = wL_c*phi_label_c + (1.0 - wL_c)*phi_kpi_c
I = clip01(frac_missing)
F = (1.0 - T) * clip01(b_ran)
S = alpha*T + beta*I - gamma*F
return {"T": round(T,4), "I": round(I,4), "F": round(F,4), "S": round(S,4), "trigger": (S>=theta)}

```

#### **S4. O-RAN Multimodal Intrusions**

```

def oran_multimodal_neutrosophic_safe(phi_net, phi_rad, phi_label=0.0,
    frac_missing=0.0, b_oran=0.1,
    alpha=1.0, beta=0.5, gamma=0.7, theta=0.65):
    _ensure_finite(phi_net, phi_rad, phi_label, frac_missing, b_oran)
    phi_net_c = clip01(phi_net); phi_rad_c = clip01(phi_rad); phi_label_c = clip01(phi_label)
    T = 0.4*phi_net_c + 0.4*phi_rad_c + 0.2*phi_label_c
    I = clip01(frac_missing)
    F = (1.0 - T) * clip01(b_oran)
    S = alpha*T + beta*I - gamma*F
    return {"T": round(T,4), "I": round(I,4), "F": round(F,4), "S": round(S,4), "trigger": (S>=theta)}

```